

## Topics Covered

- How Common Stocks Are Traded
- How Common Stocks Are Valued
- Estimating The Cost Of Equity Capital
- The Link Between Stock Price and Earnings per Share
- Valuing a Business by Discounted Cash Flow


## How Common Stocks Are Traded

Primary Market - Market for the sale of new securities by corporations

Secondary Market - Market in which previously issued securities are traded among investors

Common Stock - Ownership shares in a publicly held corporation

## Wall Street

## How Common Stocks Are Traded

Electronic Communication Networks ( ECNs) - A number of computer networks that connect traders with each other

Exchange-Traded Funds (ETFs) - Portfolios of stocks that can be bought or sold in a single trade

SPDRs (Standard \& Poor's Depository Receipts or "spiders") - ETFs, which are portfolios tracking several Standard \& Poor's stock market indexes

## How Common Stocks Are Valued

Book Value - Net worth of the firm according to the balance sheet
Dividend - Periodic cash distribution from the firm to the shareholders
P/E Ratio - Price per share divided by earnings per share
Market Value Balance Sheet - Financial statement that uses market value of assets and liabilities

| Previous close | 24.59 | Day's range | $24.40-25.18$ |
| :--- | :---: | :--- | :---: |
| Open | 24.54 | 52 wk range | $23.69-28.09$ |
| 1y target est. | 29.17 | Volume | $48,387,978$ |
| Beta | 1.19 | Avg volume (3m) | $33,138,700$ |
| Next earnings date | 23-Jan-15 | Market cap | 245.93 B |
|  |  | P/E (ttm) | 18.71 |
|  |  | EPS (ttm) | 1.31 |
|  |  | Div \& yield | $0.88(3.50 \%)$ |

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## How Common Stocks Are Valued

The value of any stock is the present value of its future cash flows. This reflects the DCF formula. Dividends represent the future cash flows of the firm.
$\mathrm{PV}($ stock $)=\mathrm{PV}($ expected future dividends $)$

## How Common Stocks Are Valued

Expected Return - The percentage yield that an investor forecasts from a specific investment over a set period of time. Sometimes called the $\qquad$ market capitalisation rate.

$$
\text { Expectedreturn }=r=\frac{\operatorname{Div}_{1}+P_{1}-P_{0}}{P_{0}}
$$

If Fledgling Electronics is selling for $\$ 100$ per share today and is expected to sell for $\$ 110$ one year from now, what is the expected return if the dividend one year from now is forecasted to be $\$ 5.00$ ?

$$
\text { Expectedreturn }=\frac{5+110-100}{100}=.15
$$

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## How Common Stocks Are Valued

The price of any share of stock can be thought of as the present value of the futures cash flows. For a stock the future cash flows are dividends and the ultimate sales price of the stock.

$$
\text { Price }=P_{0}=\frac{\operatorname{Div}_{1}+P_{1}}{1+r}
$$

## Example - continued

Fledgling Electronics price can be thought of as follows.

$$
\text { Price }=P_{0}=\frac{5+110}{1.15}=100
$$

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## How Common Stocks Are Valued

Market capitalisation rate can be estimated
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$\qquad$ using the perpetuity formula, given minor algebraic manipulation. It is also called the cost $\qquad$ of equity capital.

$$
\begin{array}{r}
\text { Price }=P_{0}=\frac{\operatorname{Div}_{1}}{r-g} \\
\text { Capitalisation rate }=r=\frac{\operatorname{Div}_{1}}{P_{0}}+g
\end{array}
$$

## How Common Stocks Are Valued

Dividend Discount Model - Computation of today's stock price which states that share value equals the present value of all expected future dividends

$$
P_{0}=\frac{\operatorname{Div}_{1}}{(1+r)^{1}}+\frac{\operatorname{Div}_{2}}{(1+r)^{2}}+\ldots+\frac{\operatorname{Div}_{H}+P_{H}}{(1+r)^{H}}
$$

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H-Time horizon for your investment. $\qquad$
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## How Common Stocks Are Valued

## Modified formula

$$
\begin{gathered}
P_{0}=\frac{\operatorname{Div}_{1}}{(1+r)^{1}}+\frac{\operatorname{Div}_{2}}{(1+r)^{2}}+\ldots+\frac{\operatorname{Div}_{H}+P_{H}}{(1+r)^{H}} \\
P_{0}=\sum_{t=1}^{H} \frac{\operatorname{Div}_{t}}{(1+r)^{2}}+\frac{P_{H}}{(1+r)^{H}}
\end{gathered}
$$

Fledgling Electronics is forecasted to pay a $\$ 5.00$ dividend at the end of year one and a $\$ 5.50$ dividend at the end of year two. At the end of the second year the stock will be sold for $\$ 121$. If the discount rate is $15 \%$, what is the price of the stock?

$$
\begin{aligned}
& \mathrm{PV}=\frac{5.00}{(1+.15)^{1}}+\frac{5.50+121}{(1+.15)^{2}} \\
& \mathrm{PV}=\$ 100.00
\end{aligned}
$$

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## How Common Stocks Are Valued

## Another Example

Current forecasts are for XYZ Company to pay dividends of $\$ 3, \$ 3.24$, and $\$ 3.50$ over the next three years, respectively. At the end of three years you anticipate selling your stock at a market price of \$94.48. What is the price of the stock given a $12 \%$ expected return?

## How Common Stocks Are Valued

## Another Example

Current forecasts are for XYZ Company to pay dividends of \$3, \$3.24, and \$3.50 over the next three years, respectively. At the end of three years you $\qquad$ anticipate selling your stock at a market price of $\$ 94.48$. What is the price of the stock given a $12 \%$ expected return?
$\mathrm{PV}=\frac{3.00}{(1+.12)^{1}}+\frac{3.24}{(1+.12)^{2}}+\frac{3.50+94.48}{(1+.12)^{3}}$
$\mathrm{PV}=\$ 75.00$

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## Estimating the Cost of Equity Capital

Expected Return - The expected return on a stock investment plus the expected growth in the dividends. Similar to the capitalisation rate.

$$
\begin{aligned}
& \text { Price }=P_{0}=\frac{\text { Div }_{1}}{r-g} \\
& \text { Expecetd return }=r=\frac{\text { Div }_{1}}{P_{0}}+g
\end{aligned}
$$

## Estimating the Cost of Equity Capital

## Example

Northwest Natural Gas stock was selling for $\$ 49.43$ per share at the start of 2015. Dividend payments for the next year were expected to be $\$ 2.00$ a share. What is the dividend yield, assuming no growth?

Dividend yield $=r$

$$
\begin{aligned}
r & =\frac{2.00}{49.43} \\
r & =.041
\end{aligned}
$$

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## Estimating the Cost of Equity Capital

## Example - continued

Northwest Natural Gas stock was selling for $\$ 49.43$ per share at the start of 2015. Dividend payments for the next year were expected to be $\$ 2.00$ a share. What is the dividend yield, assuming a growth rate of $7.7 \%$ ?

$$
\begin{aligned}
\text { Expected return } & =r \\
r & =\frac{2.00}{49.43}+.077 \\
r & =.118
\end{aligned}
$$



## Estimating the Cost of Equity Capital

Dividend Growth Rate can also be derived from applying the return on equity to the percentage of earnings plowed back into operations.

$$
g=\text { return on equity } \times \text { plowback ratio }
$$

## Estimating the Cost of Equity Capital

- Valuing Non-Constant Growth

$$
\mathrm{PV}=\frac{\operatorname{Div}_{1}}{(1+r)^{1}}+\frac{\mathrm{Div}_{2}}{(1+r)^{2}}+\ldots+\frac{\operatorname{Div}_{H}}{(1+r)^{H}}+\frac{P_{H}}{(1+r)^{H}}
$$

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$$
P_{H}=\frac{\operatorname{Div}_{H+1}}{r-g}
$$

## Estimating the Cost of Equity Capital

## Example

Phoenix produces dividends in three consecutive years of $0, .31$, and .65 , respectively. The dividend in year four is estimated to be .67 and should grow in perpetuity at $4 \%$. Given a discount rate of $10 \%$, what is the price of the stock?
$\mathrm{PV}=\frac{0}{(1+.1)^{1}}+\frac{.31}{(1+.1)^{2}}+\frac{.65}{(1+.1)^{3}}+\left[\frac{1}{(1+.1)^{3}} \times \frac{.67}{(.10-.04)}\right]$ $=9.13$
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## Stock Price and Earnings Per Share

- If a firm elects to pay a lower dividend, and reinvest the funds, the stock price may increase because future dividends may be higher

Payout Ratio - Fraction of earnings paid out as dividends
Plowback Ratio - Fraction of earnings retained by the firm
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## Stock Price and Earnings Per Share

## Example

Our company forecasts to pay a $\$ 8.33$ dividend next year, which represents $100 \%$ of its earnings. This will provide investors with a 15\% expected return. Instead, we decide to plowback $40 \%$ of the earnings at the firm's current return on equity of $25 \%$. What is the value of the stock before and after the plowback decision?
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## Stock Price and Earnings Per Share

## Example

Our company forecasts to pay a $\$ 8.33$ dividend next year, which represents $100 \%$ of its earnings. This will provide investors with a 15\% expected return. Instead, we decide to plowback 40\% of the earnings at the firm's current return on equity of $25 \%$. What is the value of the stock before and after the plowback decision?

$$
\begin{array}{cl}
\frac{\text { No Growth }}{8.33} & \underline{\text { With Growth }} \\
P_{0}=\frac{8.33}{.15}=\$ 55.56 & g=.25 \times .40=.10 \\
& P_{0}=\frac{5.00}{.15-.10}=\$ 100.00
\end{array}
$$

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## Stock Price and Earnings Per Share

## Example - continued

If the company did not plowback some earnings, the stock price would remain at $\$ 55.56$. With the plowback, the price rose to $\$ 100.00$.

The difference between these two numbers is called the present value of growth opportunities (PVGO).

$$
\text { PVGO }=100.00-55.56=\$ 44.44
$$


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## Valuing a Business

## Valuing a Business or Project

The value of a business or project is usually computed as the discounted value of FCF out to a valuation horizon ( $H$ ).
The valuation horizon is sometimes called the terminal value and is calculated like PVGO.

$$
\mathrm{PV}=\frac{\mathrm{FCF}_{1}}{(1+r)^{1}}+\frac{\mathrm{FCF}_{2}}{(1+r)^{2}}+\ldots+\frac{\mathrm{FCF}_{H}}{(1+r)^{H}}+\frac{\mathrm{PV}_{H}}{(1+r)^{H}}
$$

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## Valuing a Business

## Valuing a Business or Project

$$
\mathrm{PV}=\frac{\mathrm{FCF}_{1}}{(1+r)^{1}}+\frac{\mathrm{FCF}_{2}}{(1+r)^{2}}+\ldots+\frac{\mathrm{FCF}_{H}}{(1+r)^{H}}+\frac{\mathrm{PV}_{H}}{(1+r)^{H}}
$$

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## Valuing a Business

## Example

Given the cash flows for Concatenator Manufacturing Division, calculate the PV of near term cash flows, PV (horizon value), and the total value of the firm when $r=$ $10 \%$ and $g=6 \%$.

|  | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Asset value, start of year | 10.00 | 11.20 | 12.54 | 14.05 | 15.31 | 16.69 | 18.19 | 19.29 | 20.44 | 21.67 |
| Earnings | 1.20 | 1.34 | 1.51 | 1.69 | 1.84 | 2.00 | 2.18 | 2.31 | 2.45 | 2.60 |
| Investment | 1.20 | 1.34 | 1.51 | 1.26 | 1.38 | 1.50 | 1.09 | 1.16 | 1.23 | 1.30 |
| Free cash flow (FCF) | 0.00 | 0.00 | 0.00 | 0.42 | 0.46 | 0.50 | 1.09 | 1.16 | 1.23 | 1.30 |
| Asset value, end of year | 11.20 | 12.54 | 14.05 | 15.31 | 16.69 | 18.19 | 19.29 | 20.44 | 21.67 | 22.97 |
| Return on assets (R0A) | 0.12 | 0.12 | 0.12 | 0.12 | 0.12 | 0.12 | 0.12 | 0.12 | 0.12 | 0.12 |
| Asset growh rate | 0.12 | 0.12 | 0.12 | 0.09 | 0.09 | 0.09 | 0.06 | 0.06 | 0.06 | 0.06 |
| Earnings growth rate, from previous year |  | 0.12 | 0.12 | 0.12 | 0.09 | 0.09 | 0.09 | 0.06 | 0.06 | 0.06 |

## Valuing a Business

## Example - continued

Given the cash flows for Concatenator Manufacturing Division, calculate the PV of near term cash flows, PV (horizon value), and the total value of the firm when $r=10 \%$ and $g=6 \%$.

Horizon value $=\left(\frac{1.09}{.10-.06}\right)=27.3$
$\mathrm{PV}($ horizon value $)=\frac{27.30}{(1.10)^{6}}=15.4$
$\operatorname{PV}(\mathrm{FCF})=\frac{0}{1.1}+\frac{0}{(1.1)^{2}}+\frac{0}{(1.1)^{3}}+\frac{0.42}{(1.1)^{4}}+\frac{0.46}{(1.1)^{5}}+\frac{.50}{(1.1)^{6}}$ $=0.90$

Valuing a Business
Example - continued
$\begin{aligned} & \text { Given the cash flows for Concatenator Manufacturing Division, } \\ & \text { calculate the PV of near term cash flows, PV (horizon value), and } \\ & \text { the total value of the firm when } r=10 \% \text { and } g=6 \% .\end{aligned}$
$\begin{aligned} \mathrm{PV}(\text { business }) & =\mathrm{PV}(\mathrm{FCF})+\mathrm{PV} \text { (horizon value) } \\ & =0.90+15.40 \\ & =\$ 16.3 \text { million }\end{aligned}$ $\qquad$
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[^0]:    Source: finance.yahoo.com

